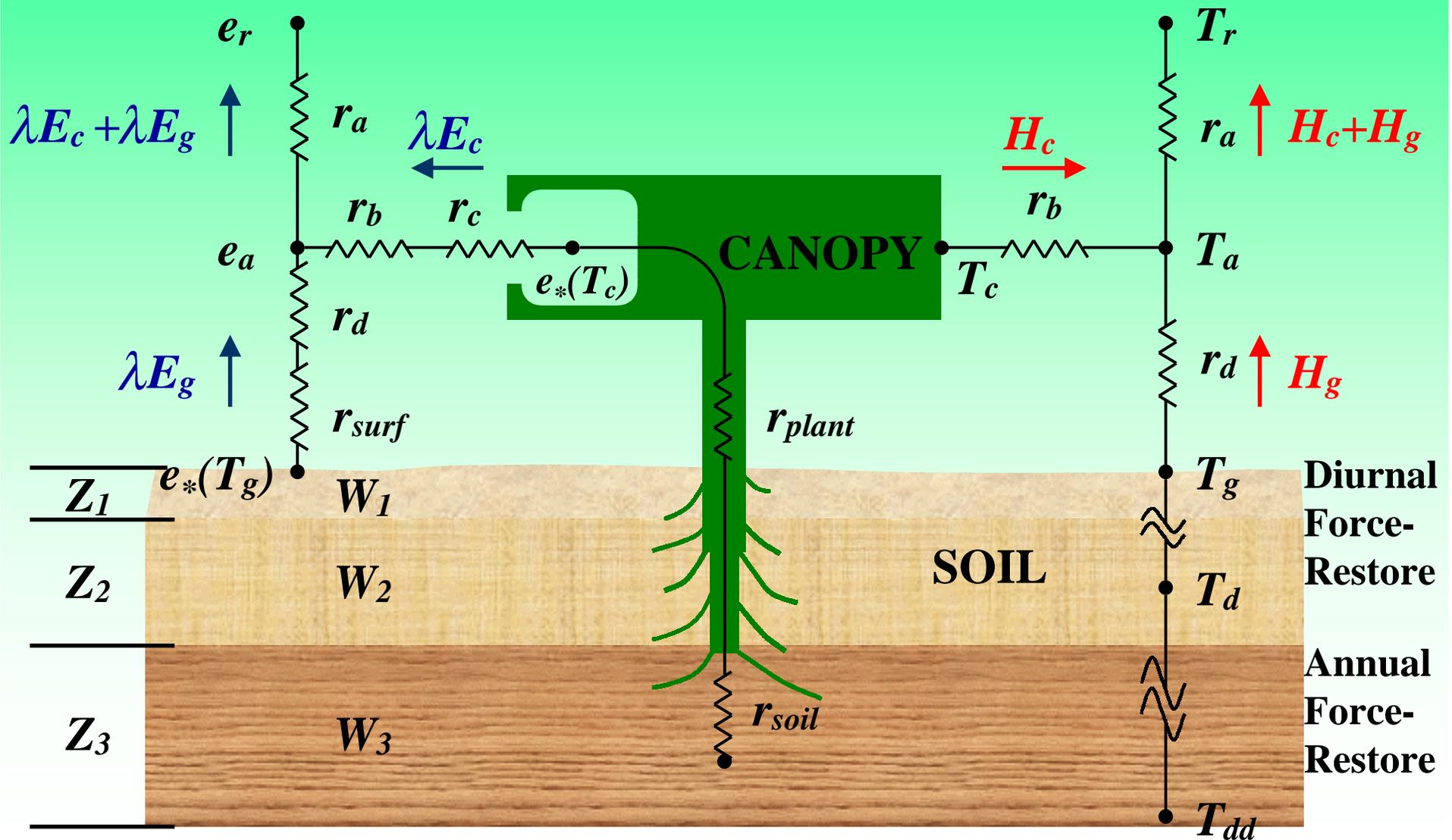
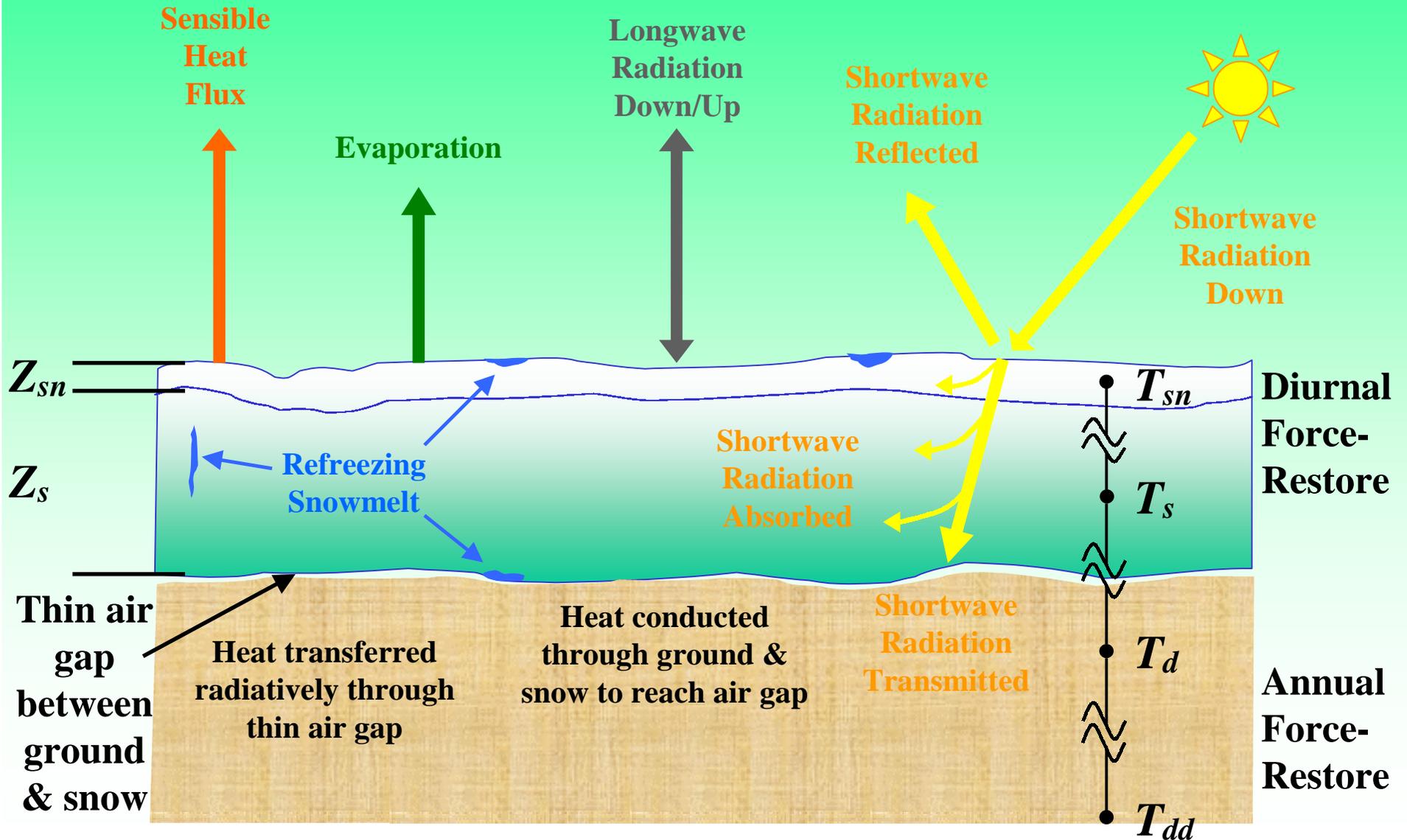


# HY-SSiB surface layer schematic



# HY-SSiB snow-physics schematic



# **HY-SSiB snow-physics features**

- **Two snow layers – diurnal layer above bulk snow layer**
- **Diurnal force-restore layer allows for mid-winter melt**
- **Shortwave absorbed in snow or transmitted to ground**
- **Fluxes over snow held constant during melt conditions in implicit backward solution**
- **Frozen water and liquid water in snow pack**
- **Snow density and snow aging**
- **Fractional snow cover**

# HY-SSiB snow-physics equations

Diurnal snow layer:

$$C_{sn} \frac{\partial T_{sn}}{\partial t} = Rn_{sn} - H_{sn} - \lambda E_{sn} - \frac{2\pi C_{sn}}{\tau} (T_{sn} - T_s)$$

Bulk snow layer:

$$C_s \frac{\partial T_s}{\partial t} = Rn_s + \kappa_c (T_d - T_s) + \frac{2\pi C_{sn}}{\tau} (T_{sn} - T_s)$$

$C$ = Heat capacity	$Rn$ = Net Radiation	$\lambda$ = latent heat of vapor.
$T$ = Temperature	$H$ = Sensible Heat Flux	$\tau$ = 86400 sec
$t$ = time	$E$ = Evaporation	$\kappa$ = Conductivity

# HY-SSiB snow absorption and aging

Shortwave absorption in diurnal snow layer:

$$SW_{sn} [abs] = SW_{\downarrow} (1 - \alpha) [1 - \exp(-25Z_{sn})]$$

Snow aging (Verseghy, 1991):

$$\rho_s(t + \Delta t) = [\rho_s(t) - \rho_{max}] \exp\left(-0.24 \frac{\Delta t}{\tau}\right) + \rho_{max}$$

$SW$  = Shortwave Radiation

$Z_{sn}$  = Diurnal snow depth

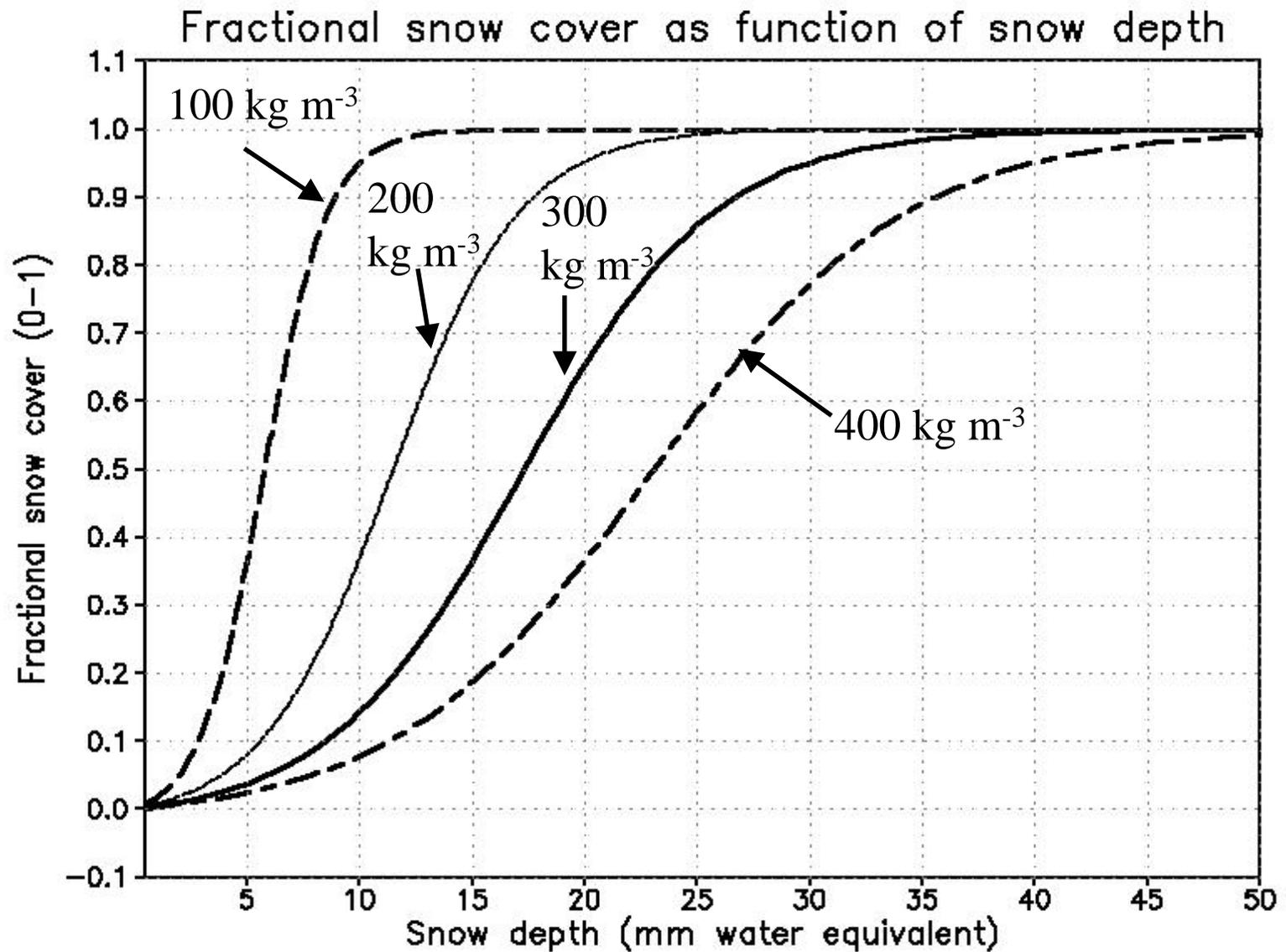
$\alpha$  = Albedo

$\rho$  = snow density

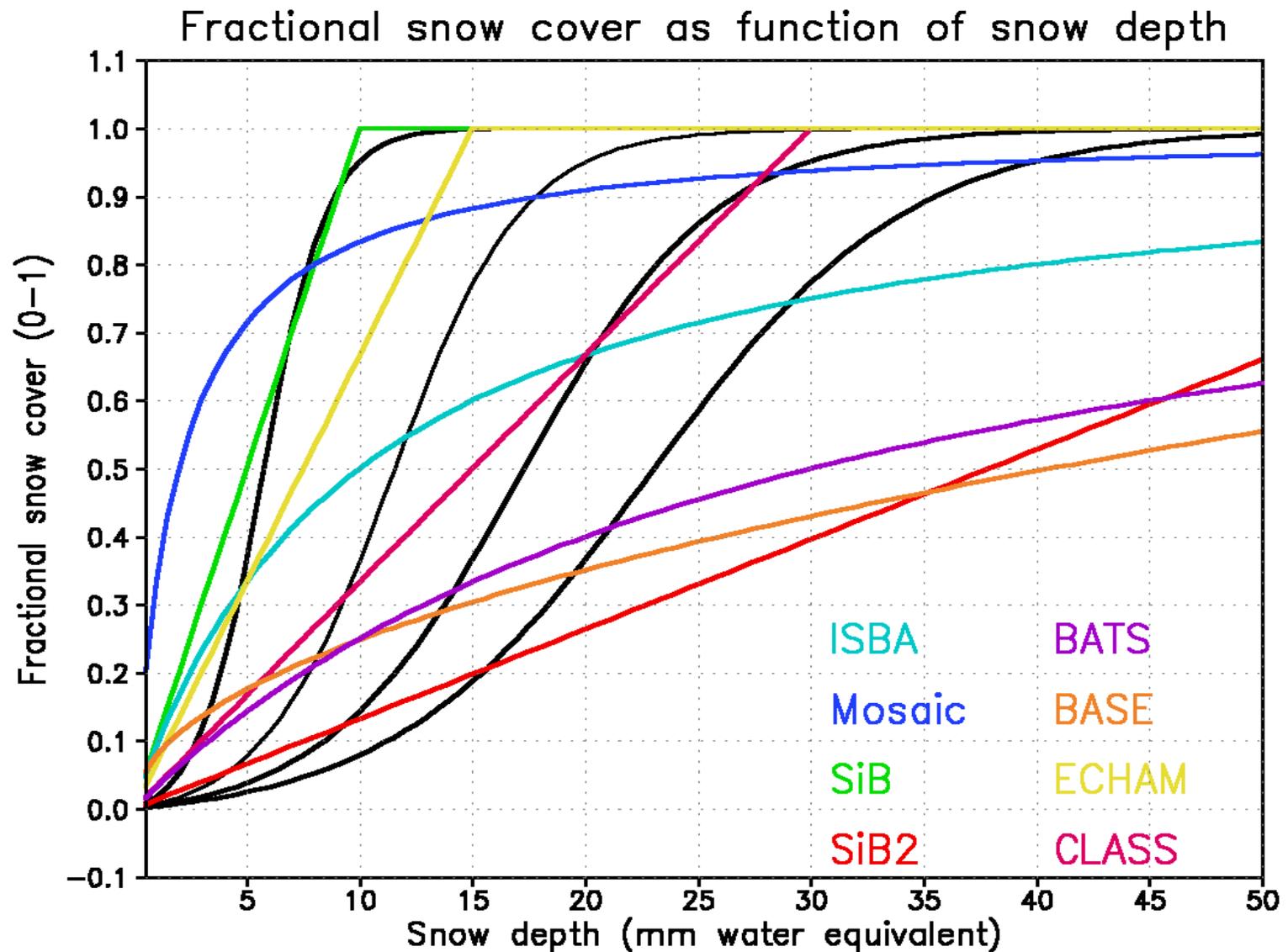
$\rho_{max}$  = 300 kg m<sup>-3</sup>

$\tau$  = 86400 sec

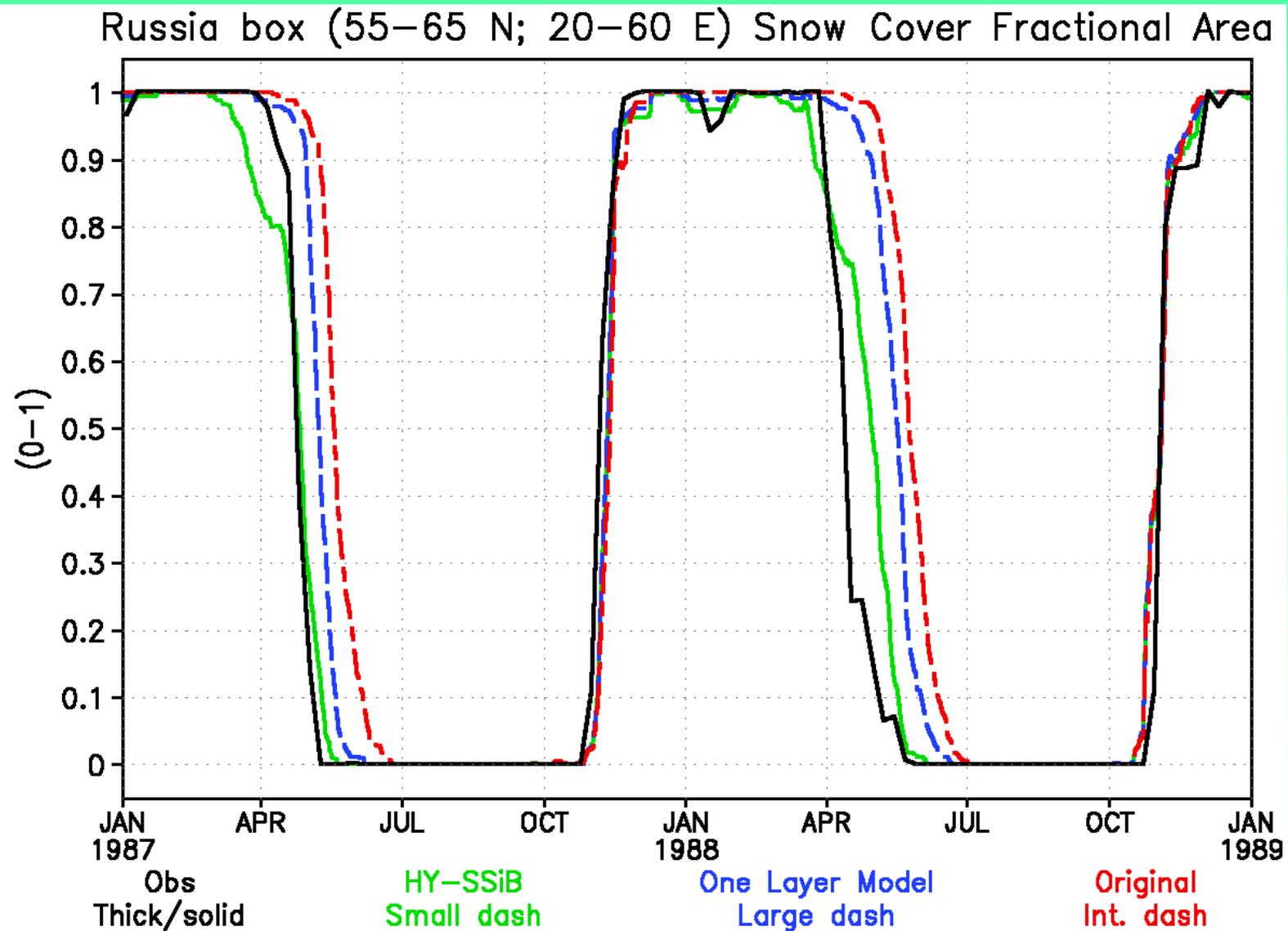
# HY-SSiB fractional snow relation



# HY-SSiB against other relations



# HY-SSiB snowmelt results



# HY-SSiB soil moisture results

