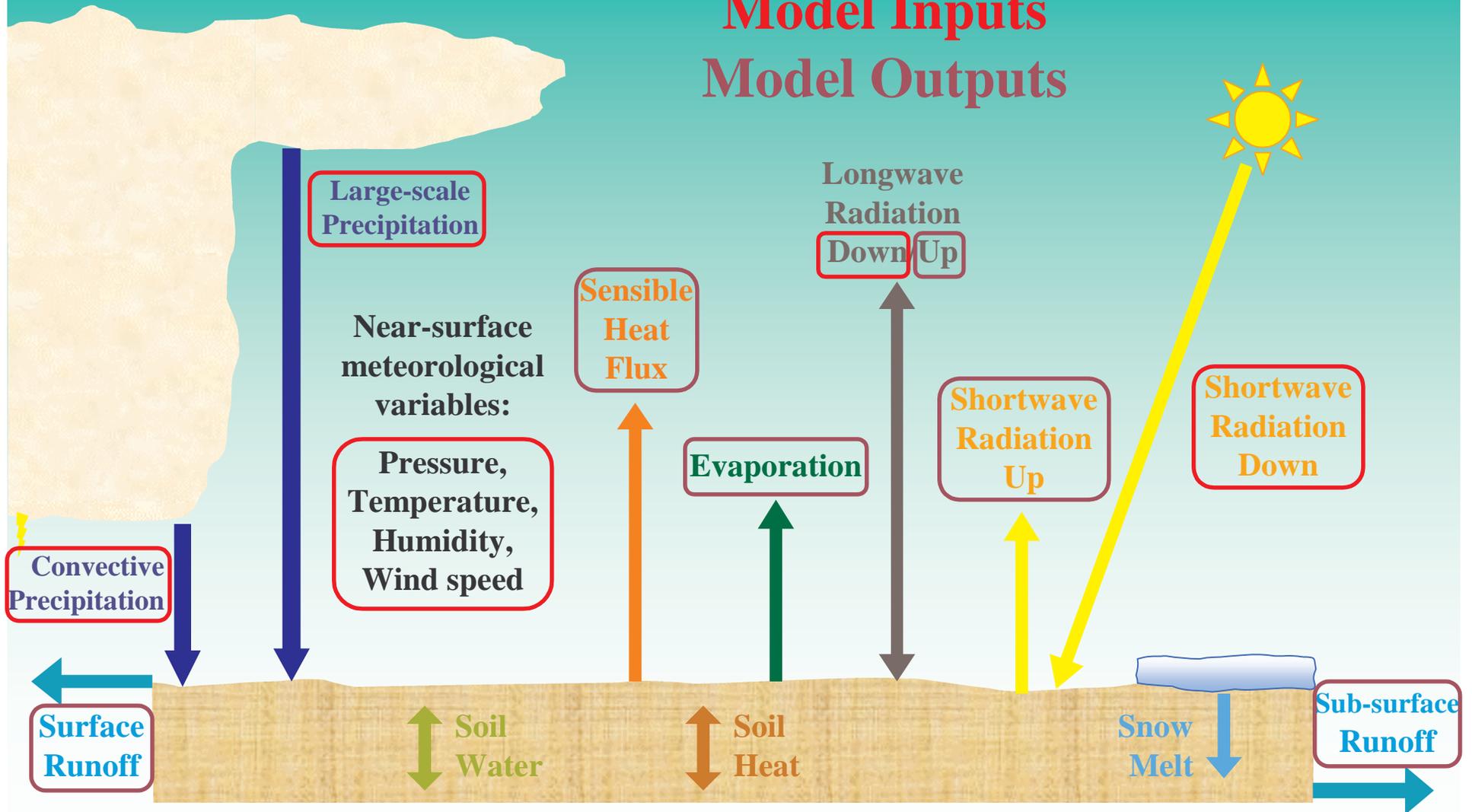


HY-SSiB – The Model

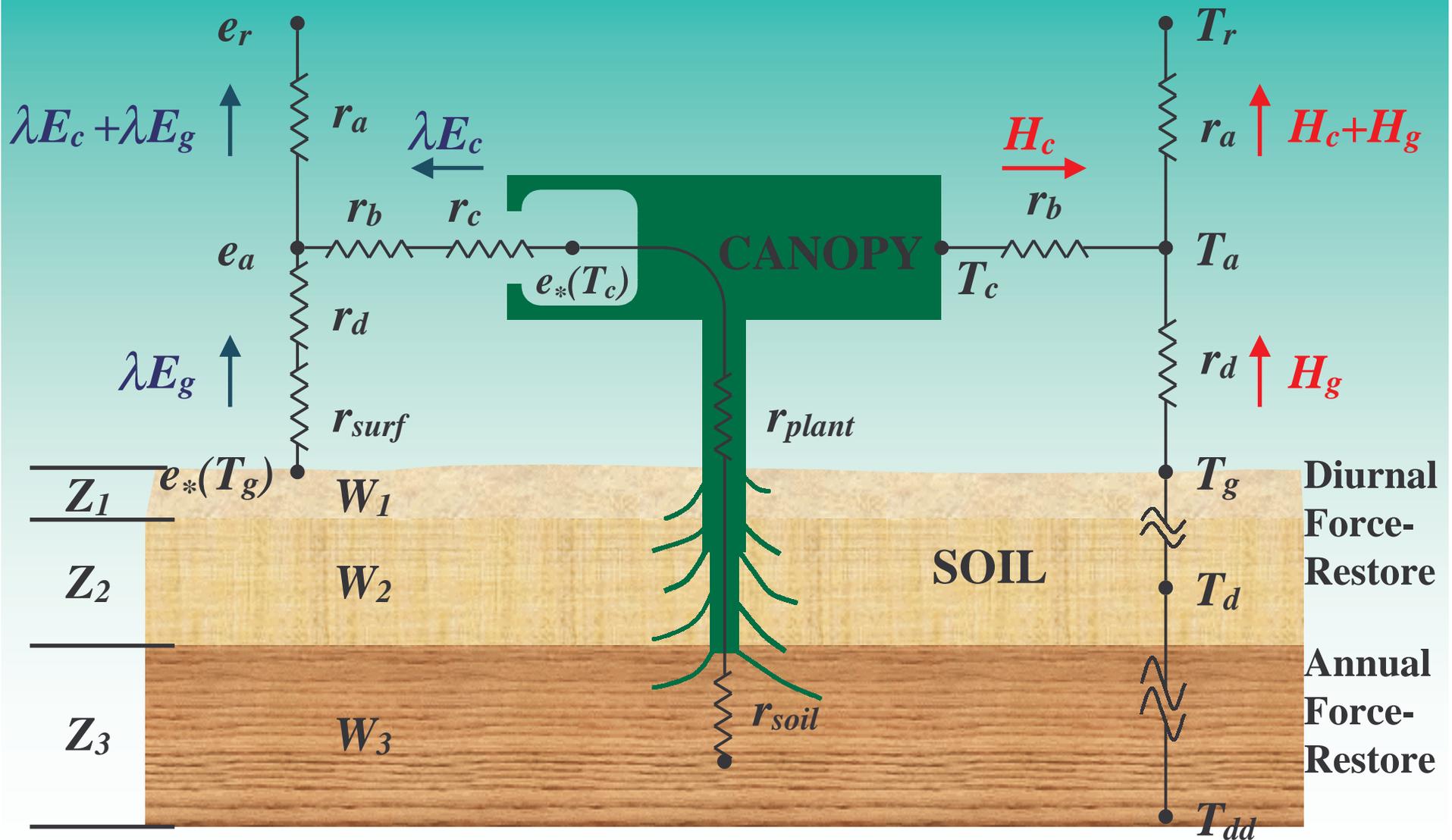
- 1. General overview**
- 2. Required datasets**
- 3. Vegetation and soils**
- 4. Snow physics package**
- 5. Solution pathway**
- 6. Linkages**

Conceptual overview

Model Inputs
Model Outputs



Surface layer schematic



Temperature Equations

Canopy:

$$C_c \frac{\partial T_c}{\partial t} = Rn_c - H_c - \lambda E_c$$

Ground:

$$C_g \frac{\partial T_g}{\partial t} = Rn_g - H_g - \lambda E_g - \frac{2\pi C_g}{\tau} (T_g - T_d)$$

C = Heat capacity

T = Temperature

t = time

Rn = Net Radiation

H = Sensible Heat Flux

E = Evaporation

λ = latent heat of
vaporization

τ = 86400 sec

Sensible Heat Equations

Canopy:

$$H_c = \frac{2(T_c - T_a)}{r_b} \rho c_p$$

Ground:

$$H_g = \frac{(T_g - T_a)}{r_d} \rho c_p$$

H = Sensible Heat Flux

r_b = Bulk boundary layer resistance

r_d = Ground to Canopy air resistance

T = Temperature

ρ = Density of air

c_p = Specific Heat of air

Evaporation Equations

Canopy:

$$\lambda E_c = (e^*(T_c) - e_a) \frac{\rho c_p}{\gamma} \left[\frac{W_c}{r_b} + \frac{1 - W_c}{r_b + r_c} \right]$$

Ground:

$$\lambda E_g = (f_h e^*(T_g) - e_a) \frac{\rho c_p}{\gamma} \frac{1}{r_{surf} + r_d}$$

e = Vapor pressure (* = saturation at T) γ = Psychrometric constant
 r_c = Bulk stomatal resistance W_c = Canopy wetness fract.
 r_{surf} = Bare soil surface resistance f_h = Soil surface air humidity

Net Radiation Equations

Canopy:

$$Rn_c = F_c - 2\sigma_s T_c^4 V_c \delta_t + \sigma_s T_g^4 V_c \delta_t$$

Ground:

$$Rn_g = F_g - \sigma_s T_g^4 + \sigma_s T_c^4 V_c \delta_t$$

F = Sum of absorbed shortwave and
longwave components

σ_s = Stefan-Boltzmann constant

V_c = Vegetation cover fract.

δ_t = Canopy transmittance
for thermal IR radiation

Snow physics schematic

